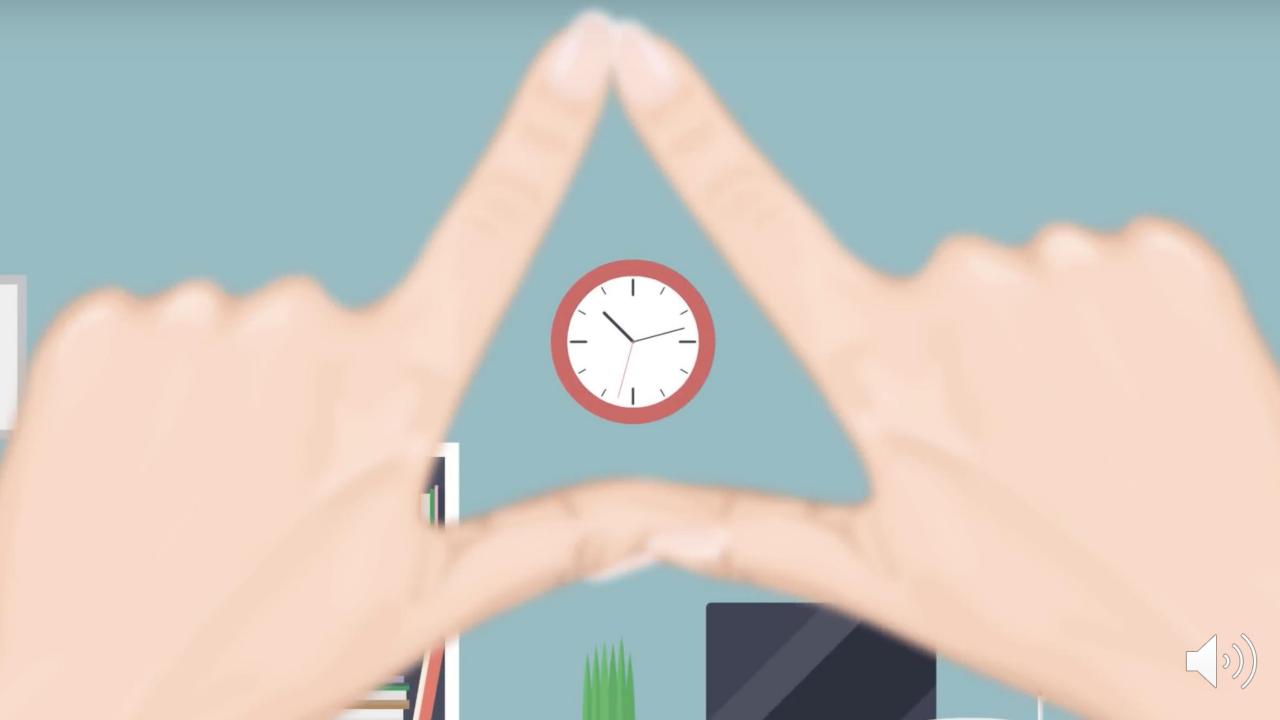


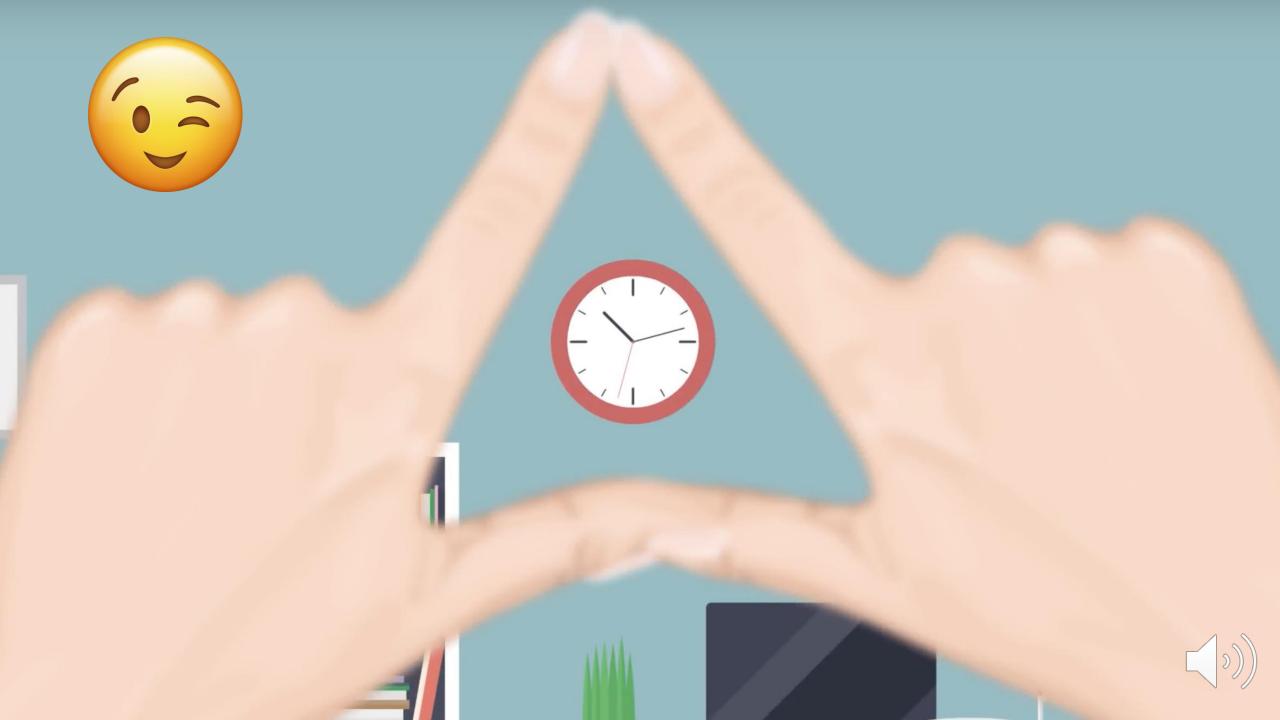
## **Eye-dominance-guided Foveated Rendering**

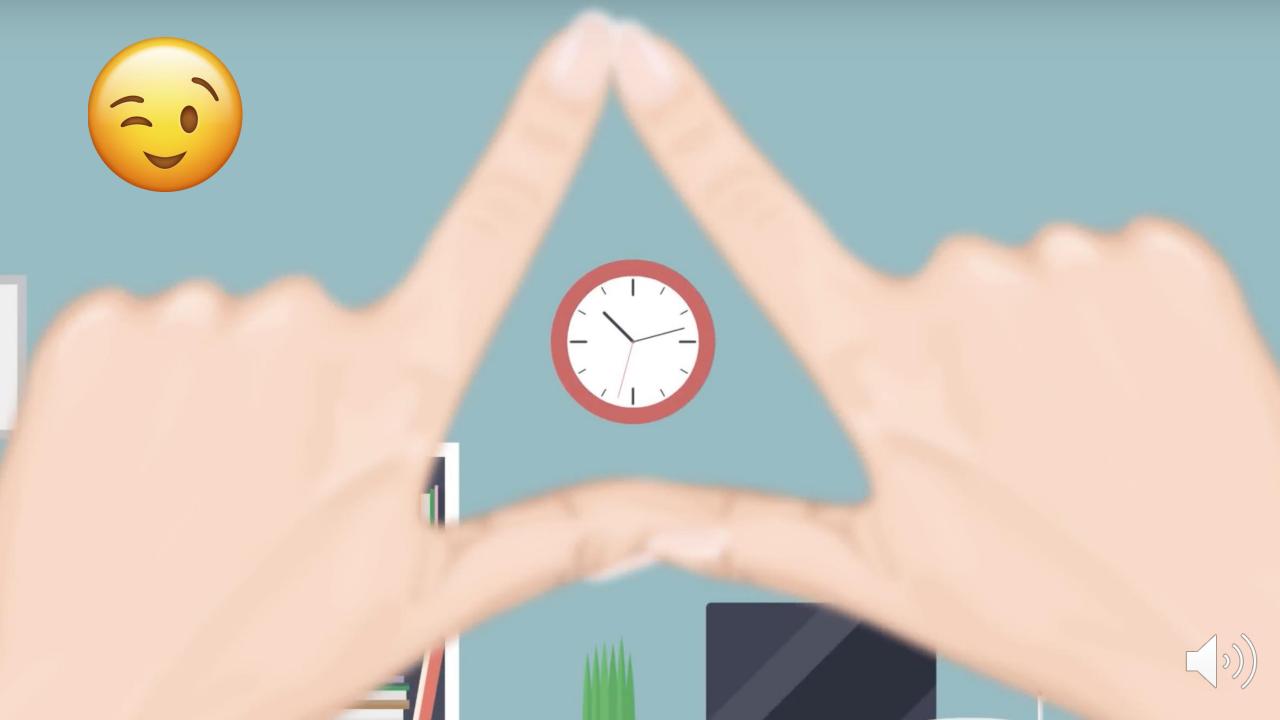
Xiaoxu Meng, Ruofei Du, and Amitabh Varshney

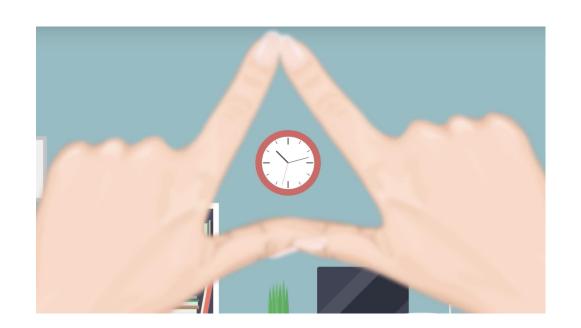
IEEE Transactions on Visualization and Computer Graphics (TVCG)



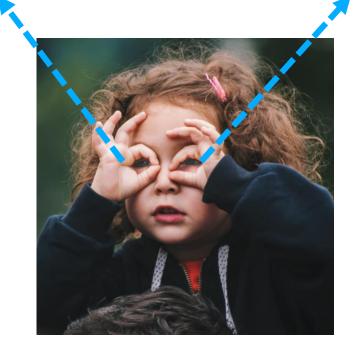




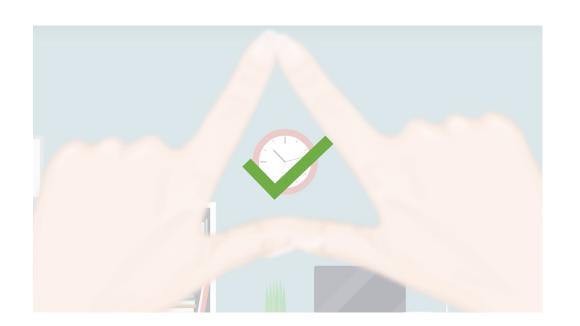




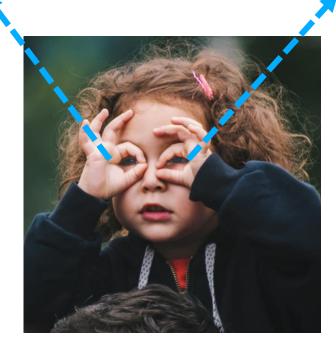










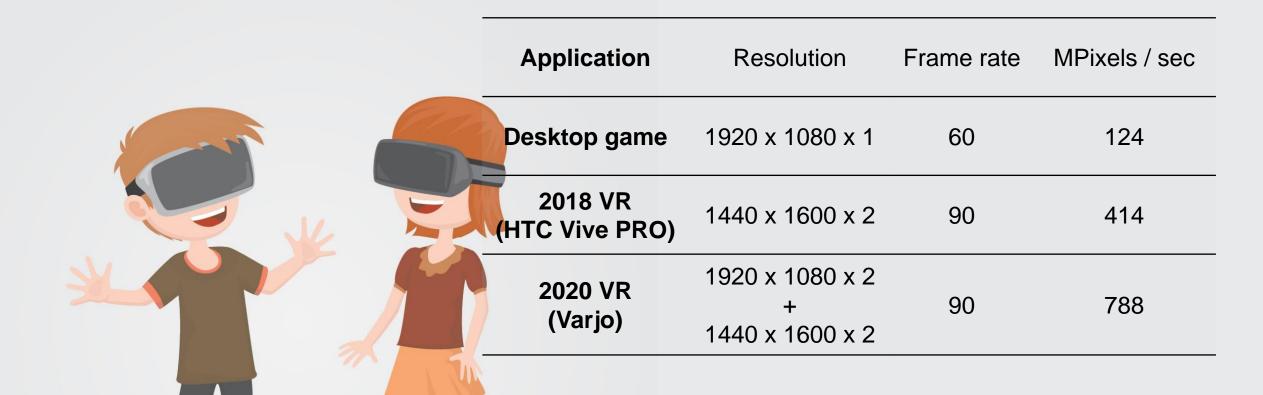




## **Advantage of the Dominant Eye Over the Non-dominant Eye**

- ▶ better color-vision discrimination ability [Koctekin 2013]
- shorter reaction time on visually triggered manual action [Chaumillon 2014]
- better visual acuity, contrast sensitivity [Shneor 2006]

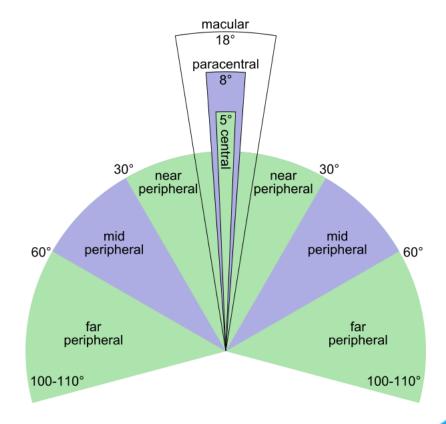






## **Foveated Rendering**

- ► VR requires enormous rendering budget
- ► Most pixels are outside the fovea

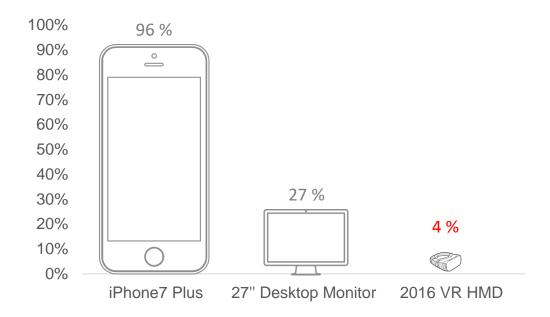




## **Foveated Rendering**

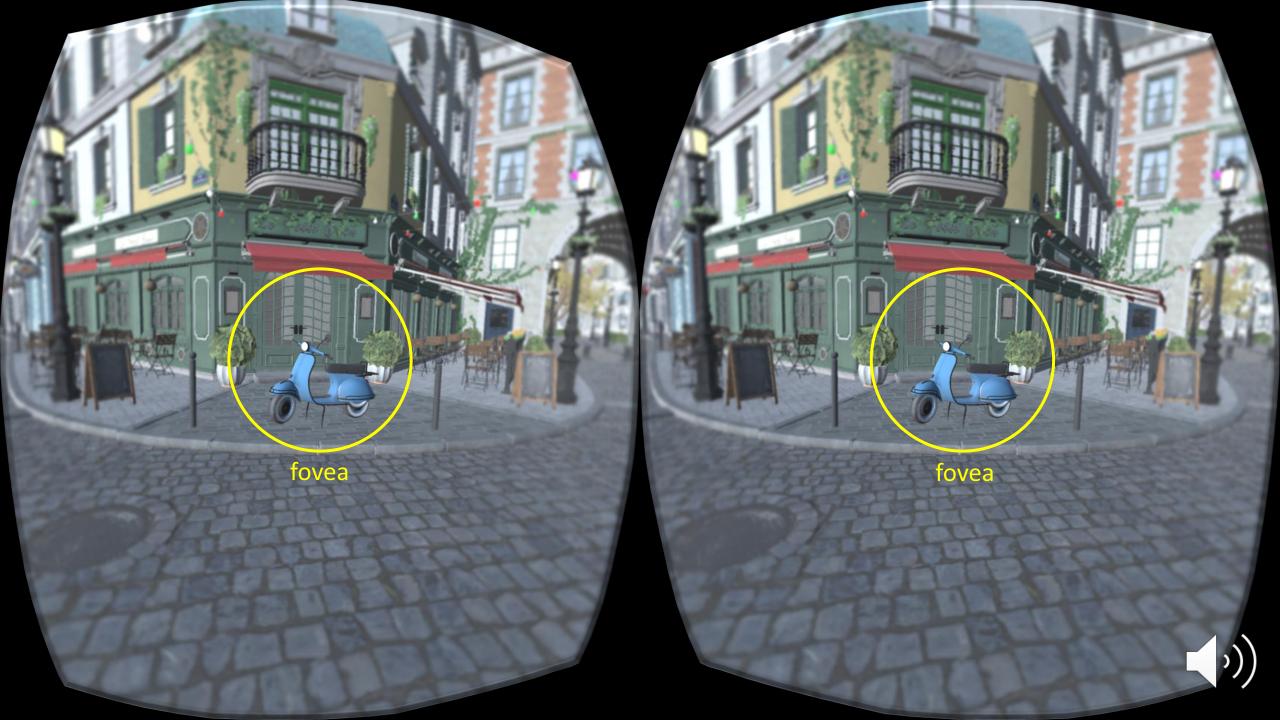
- ► VR requires enormous rendering budget
- ► Most pixels are outside the fovea

#### Percentage of the foveal pixels



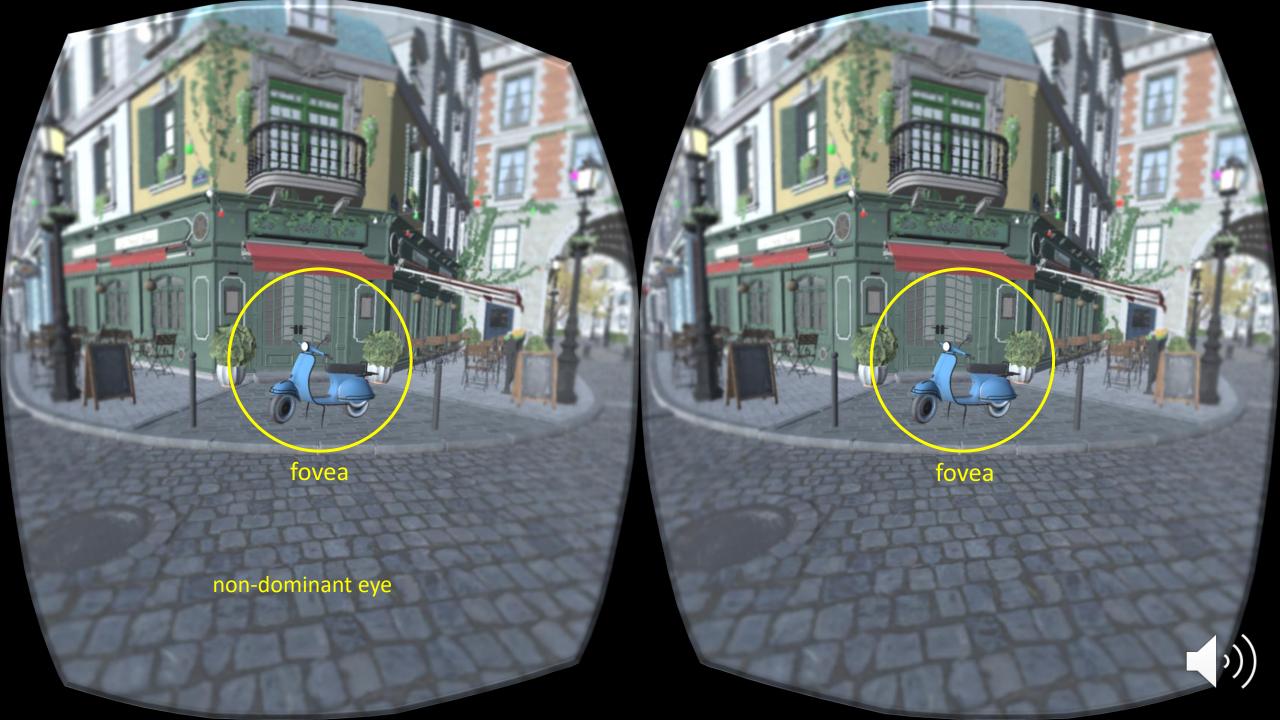


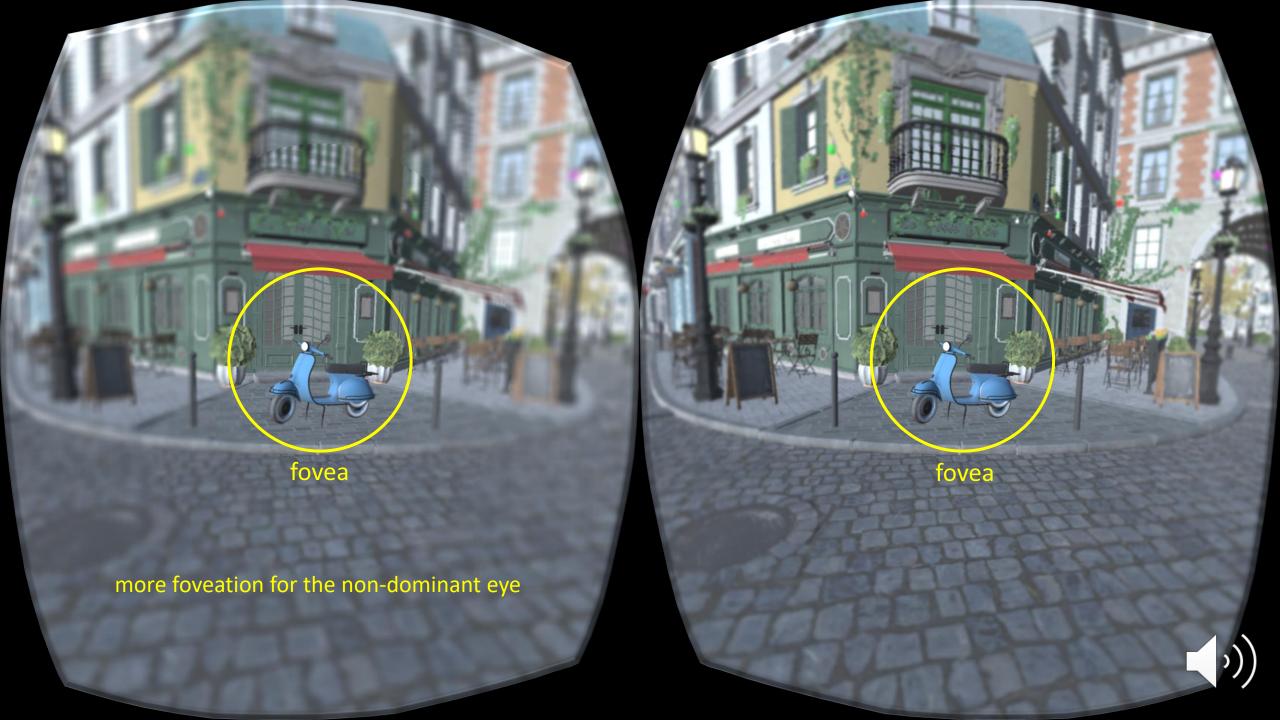




Can we do better?

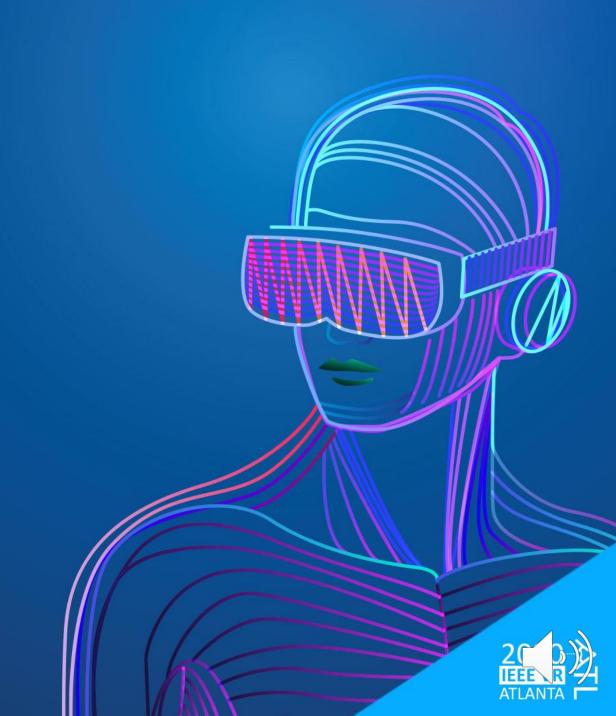


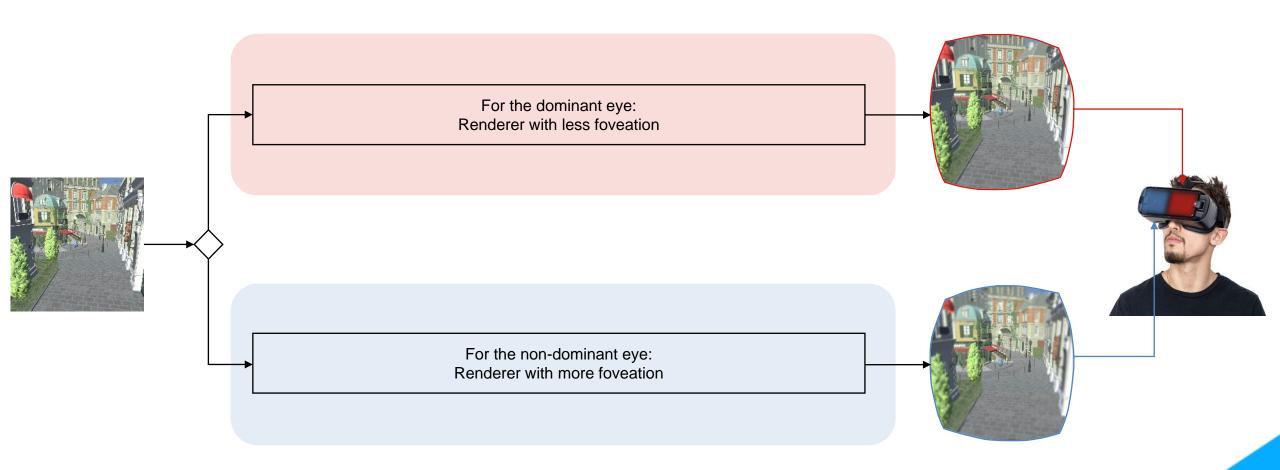




# **Eye-dominance-guided Foveated Rendering**

Overview



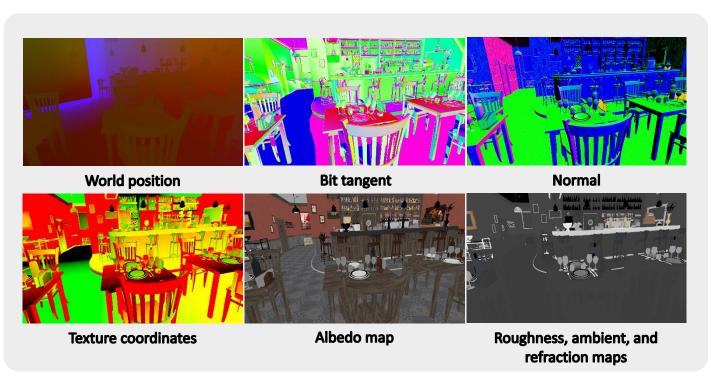


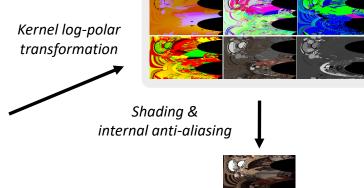




A model with parameterized level of foveation

#### **G-buffer**





Inverse kernel log-polar transformation & post anti-aliasing



Screen

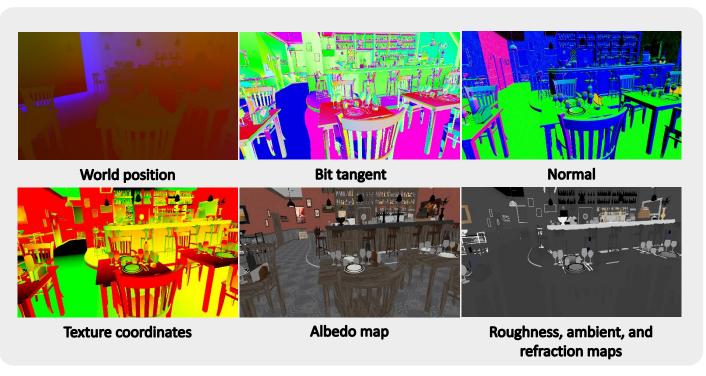
**LP-buffer** 

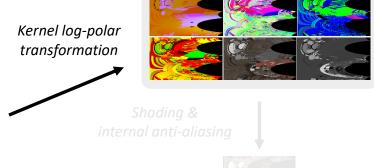
 $(\sigma = 3.0)$ 



A model with parameterized level of foveation

#### **G-buffer**





LP-buffer  $(\sigma = 3.0)$ 

Inverse kernel log-polar transformation & post anti-aliasing



Scree



A model with parameterized level of foveation

**G**-buffer





Inverse kernel log-polar transformation & post anti-aliasing

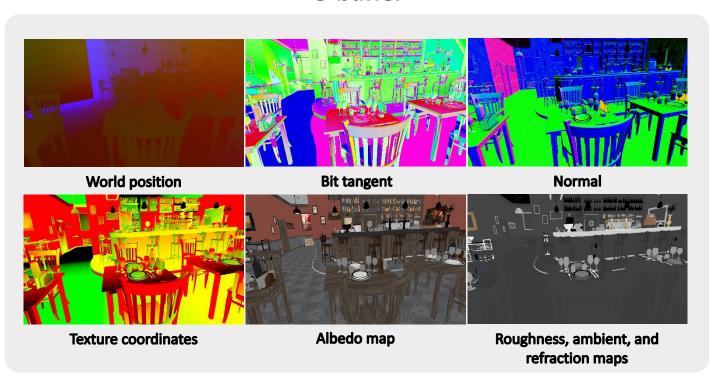


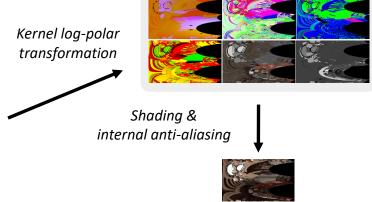
Screen



A model with parameterized level of foveation

#### **G-buffer**





Inverse kernel
log-polar transformation
& post anti-aliasing

Screen

**LP-buffer** 

 $(\sigma = 3.0)$ 



Original Frame



**Foveation Buffer** 



#### **Foveated Frame**



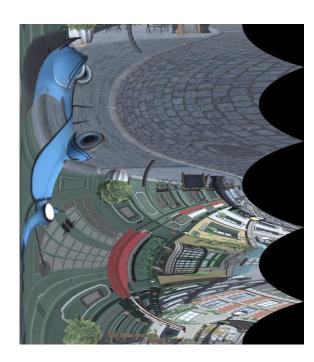
#### Kernel log-polar Mapping

- Buffer parameter  $\sigma = \frac{W}{w}$
- Regular rendering time:  $t_{RR} = T$
- Kernel foveated rendering time:  $t_{KFR} = \frac{T}{\sigma^2}$

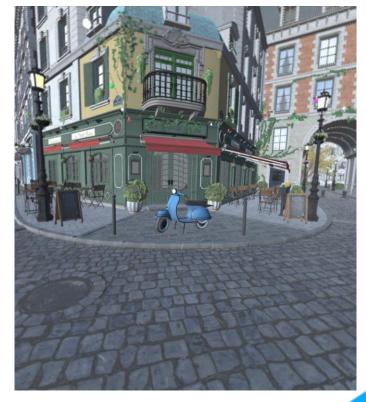




**Regular Rendering** 

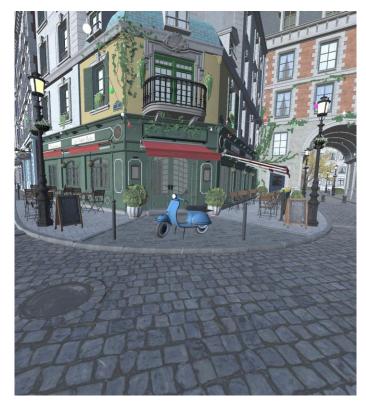


LP-buffer  $\sigma = 1.2$ 

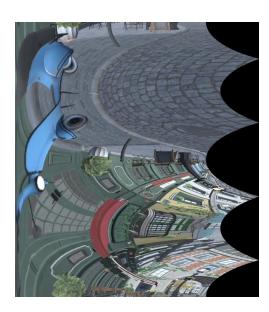


Foveated Rendering (without anti-aliasing)





**Regular Rendering** 

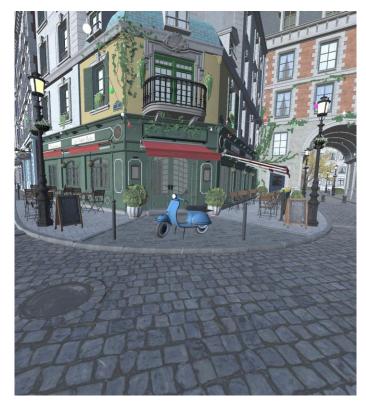


LP-buffer  $\sigma = 1.4$ 

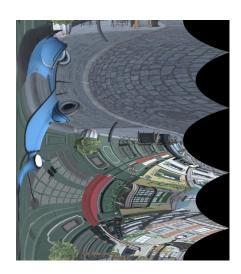


Foveated Rendering (without anti-aliasing)

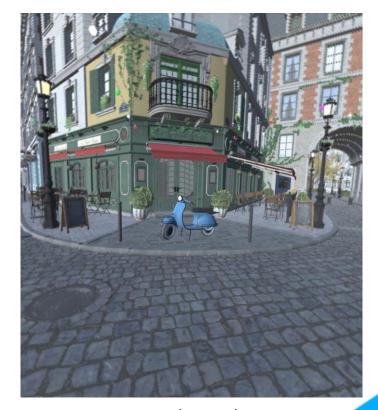




**Regular Rendering** 

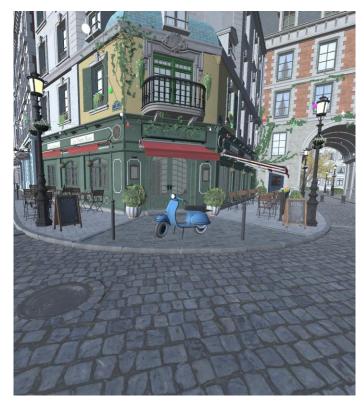


LP-buffer  $\sigma = 1.6$ 

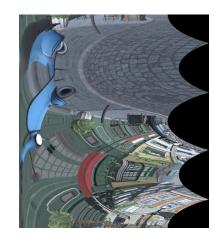


Foveated Rendering (without anti-aliasing)

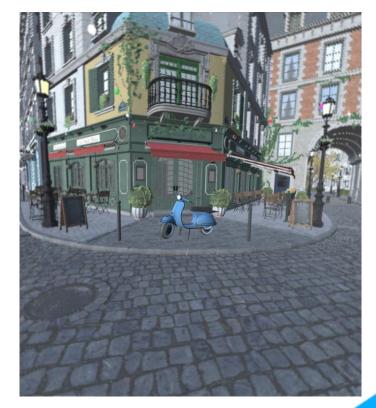




**Regular Rendering** 

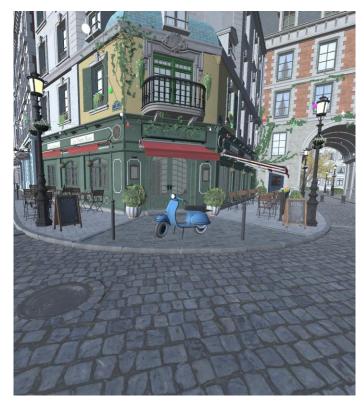


LP-buffer  $\sigma = 1.8$ 

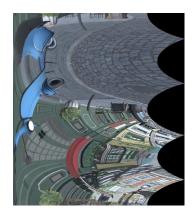


Foveated Rendering (without anti-aliasing)

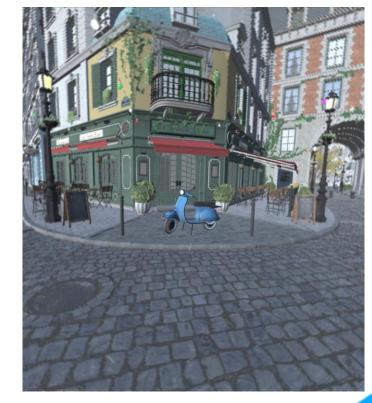




**Regular Rendering** 

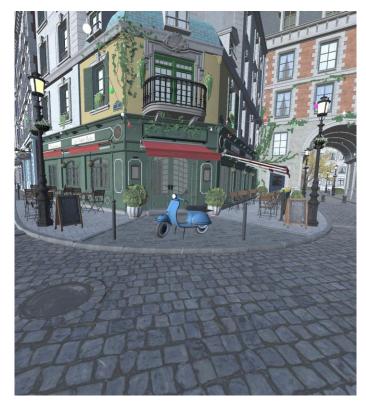


LP-buffer  $\sigma = 2.0$ 

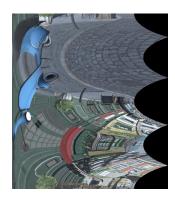


Foveated Rendering (without anti-aliasing)

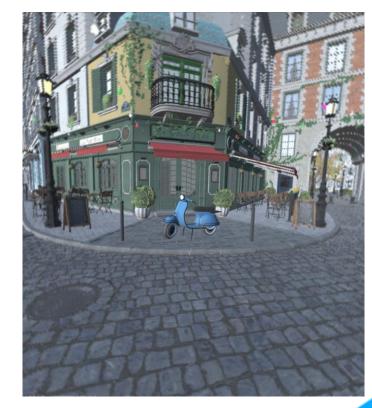




**Regular Rendering** 

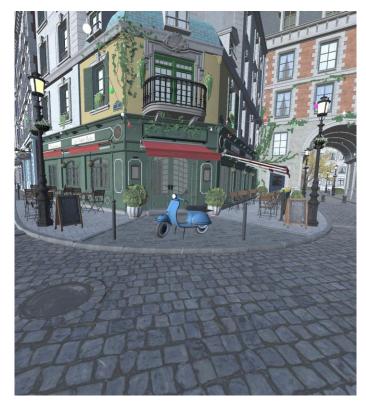


LP-buffer  $\sigma = 2.2$ 

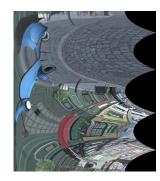


Foveated Rendering (without anti-aliasing)

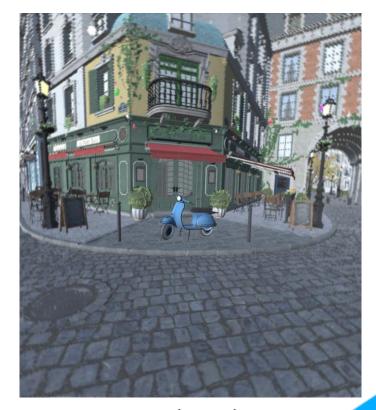




**Regular Rendering** 

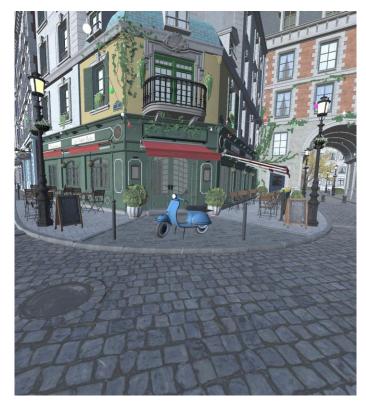


LP-buffer  $\sigma = 2.4$ 

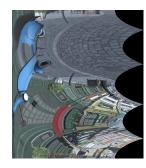


Foveated Rendering (without anti-aliasing)

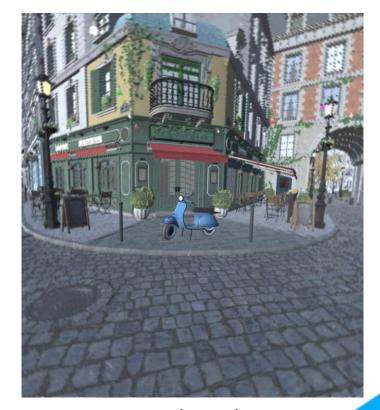




**Regular Rendering** 

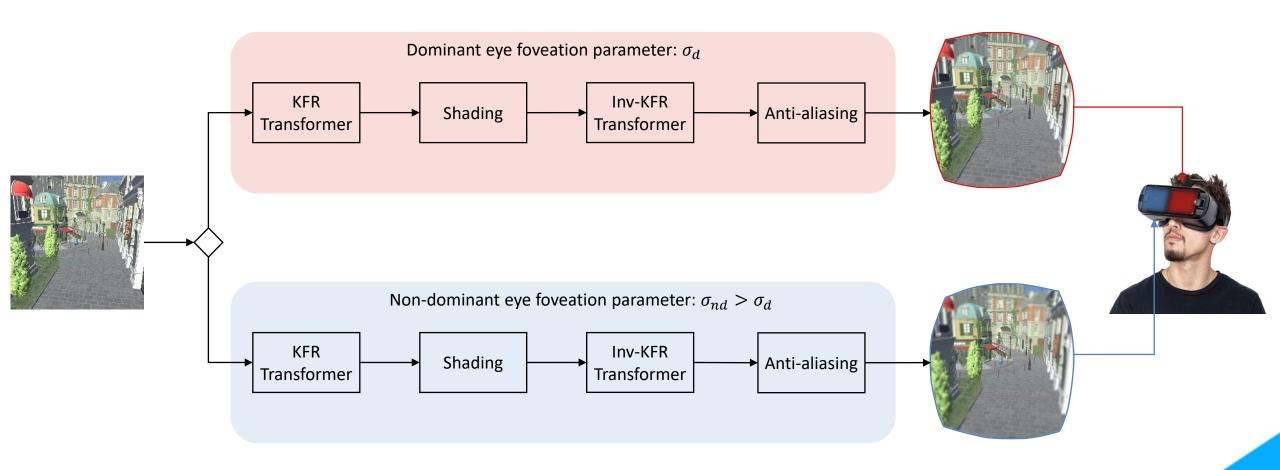


LP-buffer  $\sigma = 2.6$ 



Foveated Rendering (without anti-aliasing)







## **User Study**

Apparatus



## **Pre-experiment: Dominant Eye Identification**

#### The Miles Test

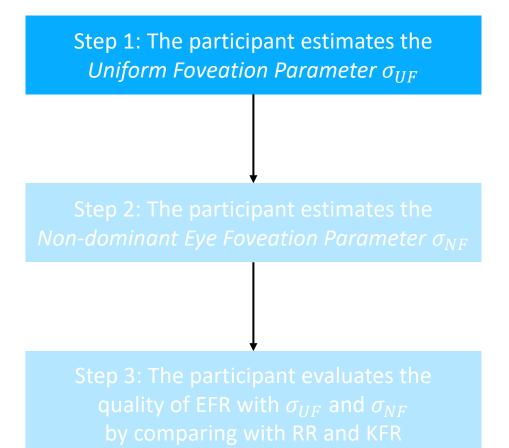
- ▶ the participant (TP) extends their arms out in front of himself
- creates a triangular opening between their thumbs and forefingers
- with both eyes open, TP centers the triangular opening on a goal object that is 20 feet away from TP
- ► TP closes their left eye with their right eye open, and the object moves out of center
  - Left eye dominant
- ► TP closes their right eye with their left eye open, and the object moves out of center
  - Right eye dominant







## **Main Study**



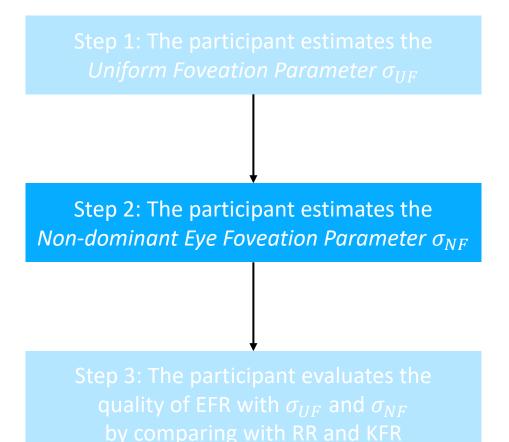
EFR: eye-dominance-guided foveated rendering

KFR: traditional foveated rendering

RR: regular rendering



## **Main Study**

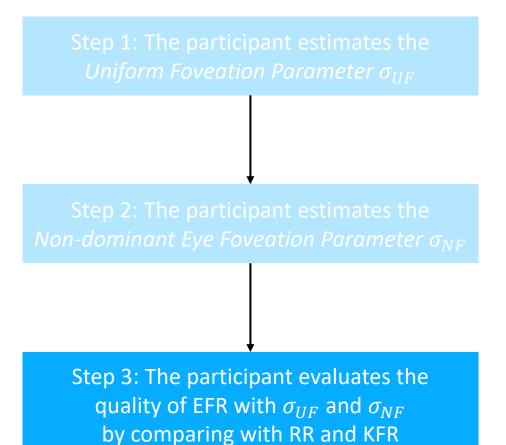


EFR: eye-dominance-guided foveated rendering

KFR: traditional foveated rendering

RR: regular rendering





EFR: eye-dominance-guided foveated rendering

KFR: traditional foveated rendering

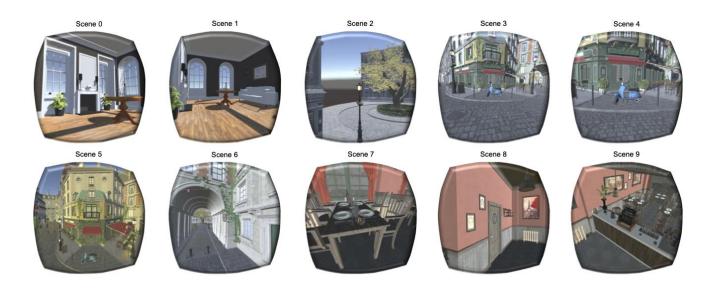
RR: regular rendering



Step 1: The participant estimates the Uniform Foveation Parameter  $\sigma_{UF}$ 

Step 2: The participant estimates the Non-dominant Eye Foveation Parameter  $\sigma_{NF}$ 

Step 3: The participant evaluates the quality of EFR with  $\sigma_{UF}$  and  $\sigma_{NF}$  by comparing with RR and KFR



scenes for the user study 3 scenes for Step 1 & Step 2, 10 scenes for Step 3



- ► Two tests in the main study:
  - Slider Test
  - Random Test
- ▶ Each test is repeated 3 times for each participant to reduce inaccuracy in parameter estimation.

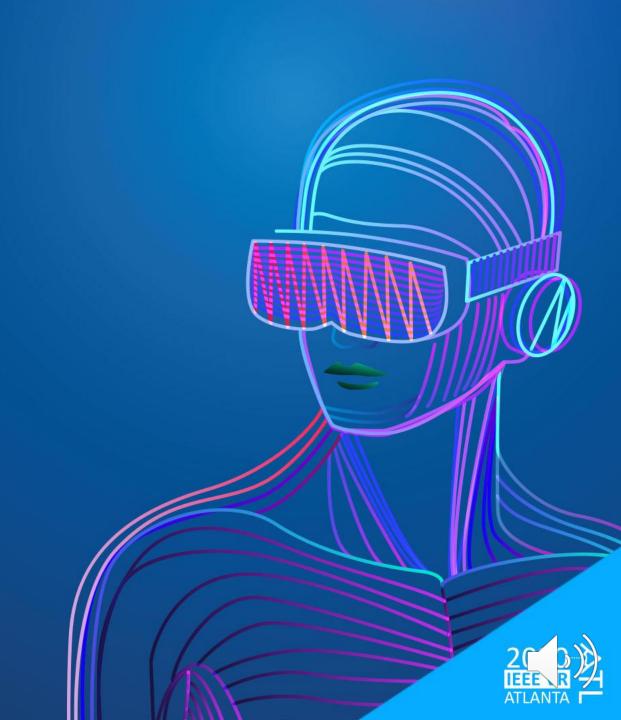


- ► Two tests in the main study:
  - Slider Test
  - Random Test
- ▶ Each test is repeated 3 times for each participant to reduce inaccuracy in parameter estimation.
- $ightharpoonup \sigma = \frac{W}{W}$  (W: width of the screen, w: width of the rendering buffer)
  - Step 1 (Estimation of *Uniform Foveation Parameter*  $\sigma_{UF}$ ):
    - MIN = 1.2
    - MAX = 3.0
    - STEP\_SIZE = 0.2
  - Step 2 (Estimation of *Non-dominant Eye Foveation Parameter*  $\sigma_{NF}$ ):
    - MIN =  $\sigma_{UF}$
    - MAX = 4.0
    - STEP\_SIZE = 0.2



# **User Study**

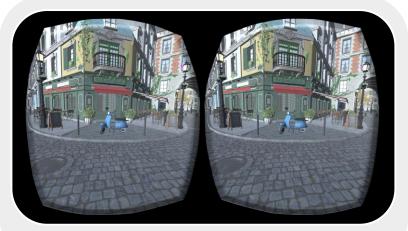
Main Study - Slider Test



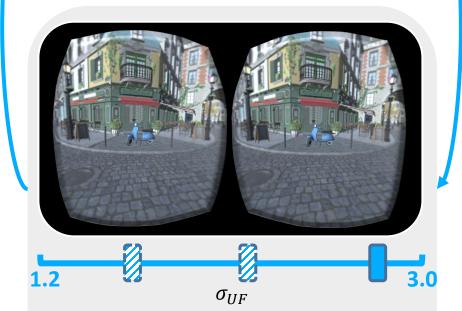
## **Slider Test**

Step 1: Estimation of  $\sigma_{UF}$ 

- ► Step 1.1: Present the participant with the regular rendering as a reference
- ► Step 1.2: Present the participant with the same foveated rendering for both eyes and allow the participant to adjust the level of foveation by themselves
  - starting with the highest level of foveation
  - progressively decrease the foveation level
- ▶ The participant switches between Step1.1 and Step 1.2 back and forth until he/she can identify the lowest foveation  $\sigma_{UF}$



Step 1.1 regular rendering as reference



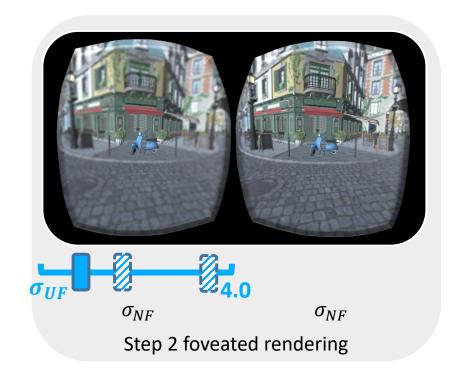
Step 1.2 foveated rendering (same foveation for both eyes)



## **Slider Test**

### Step 2: Estimation of $\sigma_{NF}$

- Step 2: Present the participant foveated rendering with  $\sigma_{UF}$  for the **dominant eye**, allow the participant to adjust the foveation level for the **non-dominant eye** 
  - starting with foveation parameter  $\sigma_{UF}$
  - progressively increase the foveation level
- ▶ The participant finds the highest foveation level  $\sigma_{NF}$  that is perceptually equivalent to the result in Step 1

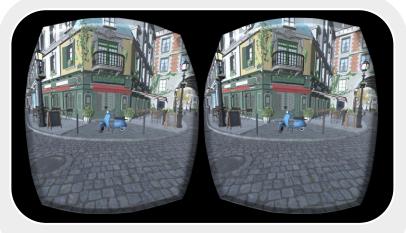




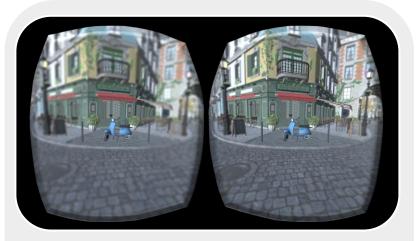
## **Slider Test**

Step 3: Quality Evaluation

- ► The participant compares between
  - EFR vs. KFR
  - EFR vs. RR
- ► the participant scores the difference between the two frames
  - Max score = 5 (Same)
  - Min score = 1 (Noticeable Difference)



regular rendering



 $\sigma_{NF}$ 

Eye-dominance-guided foveated rendering

Choose a score for the difference between the two renderings?









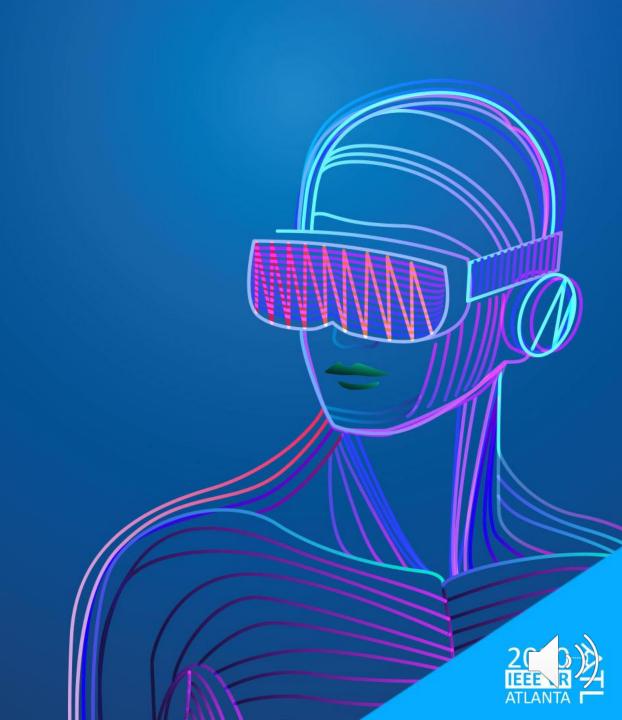
 $\sigma_{IIF}$ 





# **User Study**

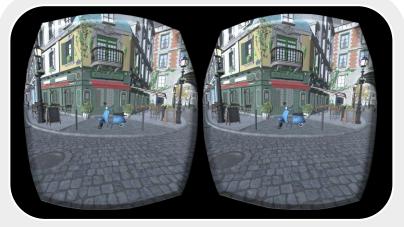
Main Study - Random Test



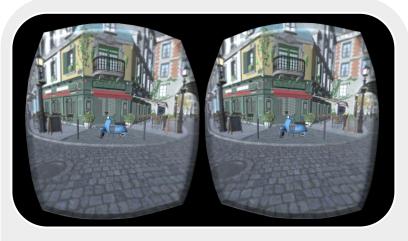
## **Random Test**

Step 1: Estimation of  $\sigma_{UF}$ 

- ► shuffled parameter array [1.2, 3.0]
- ► The participant observes the regular rendering & traditional foveated rendering with *x* selected from shuffled parameter array
- ▶ The participant scores the difference between the two frames  $S_{UF}(x)$ 
  - Max score = 5 (Same)
  - Min score = 1 (Noticeable Difference)
- $\bullet \ \sigma_{UF} = \operatorname*{argmax}_{x} S_{UF}(x) \ge 4$



regular rendering



 $\sigma_{UF}$   $\sigma_{UF}$  kernel foveated rendering

Choose a score for the difference between the two renderings?









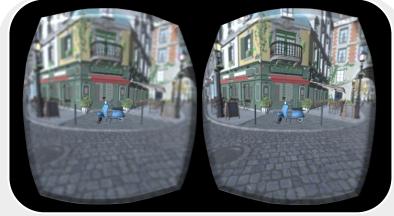




## **Random Test**

#### Step 2: Estimation of $\sigma_{NF}$

- shuffled parameter array [ $\sigma_{UF}$ , 4.0]
- ► The participant observes eye-dominanceguided foveated rendering
  - Dominant eye rendered with  $\sigma_{UF}$
  - Non-dominant eye rendered with x selected from shuffled parameter array
- ▶ the participant scores the imbalance between the two frames  $S_{IIF}(x)$ 
  - Max score = 5 (Same)
  - Min score = 1 (Noticeable Imbalance)
- $\bullet \ \sigma_{NF} = \operatorname*{argmax}_{x} S_{NF}(x) \ge 4$



 $\sigma_{NF}$   $\sigma_{UF}$ 

Eye-dominance-guided foveated rendering

Choose a score for the difference between the two renderings?

 $\langle$  1 $\rangle$ 

 $\langle 2 \rangle$ 

 $\left(3\right)$ 

 $\langle 4 \rangle$ 

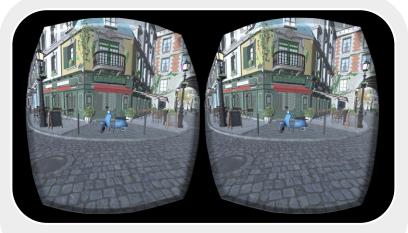
 $\langle 5 \rangle$ 



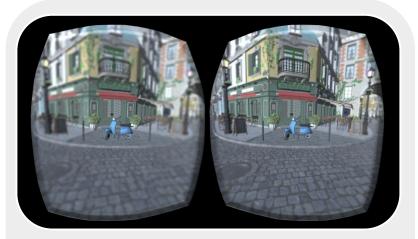
## **Random Test**

Step 3: Quality Evaluation

- ► The participant compares between
  - EFR vs. KFR
  - EFR vs. RR
- ▶ the participant scores the difference between the two frames
  - Max score = 5 (Same)
  - Min score = 1 (Noticeable Difference)



regular rendering



 $\sigma_{NF}$ 

Eye-dominance-guided foveated rendering

Choose a score for the difference between the two renderings?









 $\sigma_{IIF}$ 

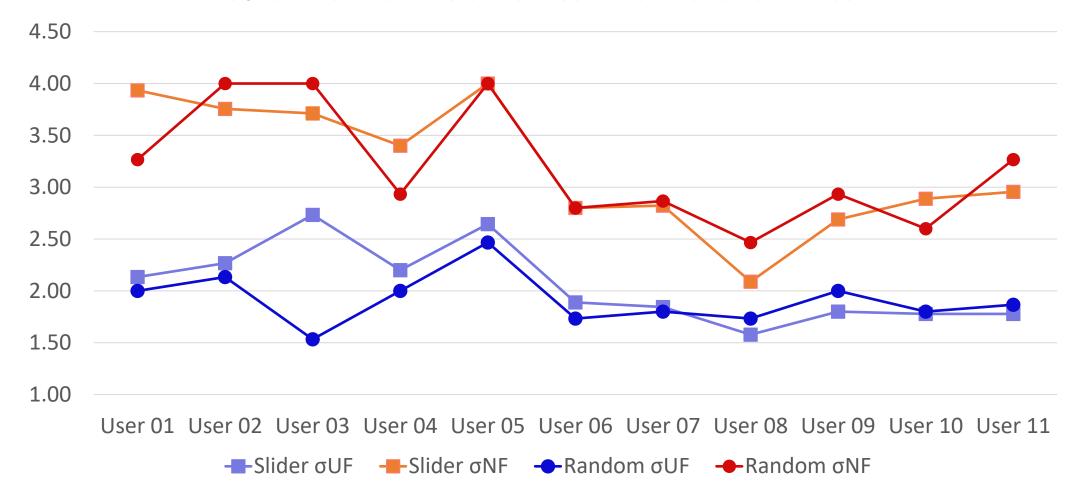




# **User Study Result**



#### $\sigma_{UF}$ and $\sigma_{NF}$ for the slider test and the random test

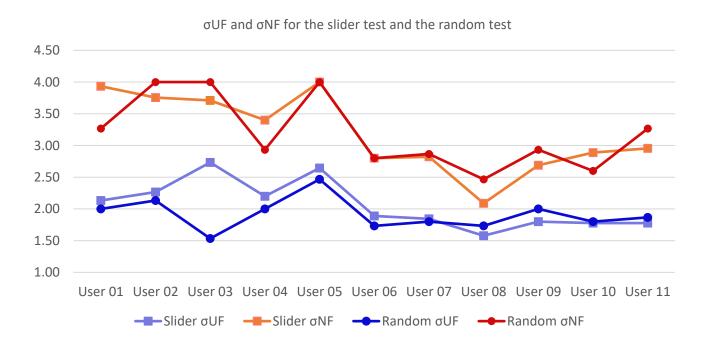




# Analysis: Relationship between $\sigma_{UF}$ and $\sigma_{NF}$

Is there a significant difference of  $\sigma_{UF}$  and  $\sigma_{NF}$  between the slider test and the random test?

- ► Null hypothesis
  - there is no significant difference of  $\sigma_{UF}$  and  $\sigma_{NF}$  between the slider test and the random test
- ► Paired T-test
  - No significant difference between the slider test and the random test (with p=0.8995>0.05)

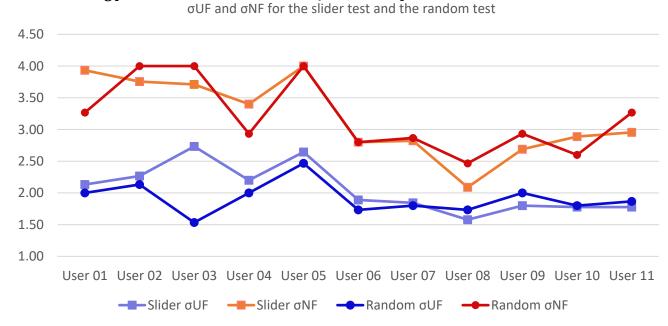




# Analysis: Relationship between $\sigma_{UF}$ and $\sigma_{NF}$

Is there a significant difference between  $\sigma_{UF}$  and  $\sigma_{NF}$ ?

- ► Null hypothesis
  - there is no significant difference between  $\sigma_{UF}$  and  $\sigma_{NF}$
- ► Paired T-test
  - Significant difference that the foveation parameter  $\sigma_{\rm N\it F}$  required for the non-dominant eye is higher than the foveation parameter  $\sigma_{\rm U\it F}$  for the dominant eye (with  $p=7.0530\times 10^{-10}<0.05$ )





# **Quality Evaluation**

Score frequency in the slider test and the random test

Comparison	Score = 1	Score = 2	Score = 3	Score = 4	Score = 5
Slider: EFR vs. RR	0.00%	2.73%	8.18%	17.27%	71.82%
Slider EFR vs. KFR	0.00%	4.55%	10.91%	30.00%	54.55%
Random: EFR vs. RR	0.00%	0.00%	0.91%	14.55%	84.55%
Random: EFR vs. KFR	0.00%	0.91%	3.64%	25.45%	70.00%

Slider Test:  $P(\text{score} \ge 4) \ge 85\%$ 

Random Test:  $P(\text{score} \ge 4) \ge 95\%$ 



# **Rendering Acceleration**



## **Rendering Acceleration**

Setup

► GPU: NVIDIA GTX 1080

► Scene: Amazon Lumberyard Bistro

► Resolution: 1280 × 1440 per eye



RR = Regular Rendering

KFR = Kernel Foveated Rendering

EFR = Eye-dominance-guided Foveated Rendering

### Speedup of eye-dominance-guided foveated rendering



# Limitations



### **Limitations & Future Work**

#### ► Temporal Artifacts

- since the eye-dominance-guided foveated rendering relies on different levels of foveation for the two eyes, the pattern of the artifact may appear differently.

#### ► Personalized VR Rendering

- 70% of the population is right-eye dominant and 29% is left-eye dominant

#### ► Further Leveraging Human Perception

- exploring how the foveated rendering system could be integrated with the cyclopean eye to further improve the immersive viewing experience





- designing eye-dominance-guided foveated rendering
  - provides similar visual results as the original foveated rendering
  - higher rendering frame rate



- designing eye-dominance-guided foveated rendering
  - provides similar visual results as the original foveated rendering
  - higher rendering frame rate
- conducting user studies to identify the parameters for the dominant eye and the nondominant eye
  - Parameters estimated from different user study show no significant difference
  - P(minimal perceptual difference) ≥ 85%



- designing eye-dominance-guided foveated rendering
  - provides similar visual results as the original foveated rendering
  - higher rendering frame rate
- conducting user studies to identify the parameters for the dominant eye and the nondominant eye
  - Parameters estimated from different user study show no significant difference
  - P(minimal perceptual difference) ≥ 85%
- ▶ implementing the eye-dominance-guided foveated rendering pipeline on a GPU at a resolution of 1280 × 1440 per eye
  - Maximum speedup: 1.47×
  - Average speedup: 1.35×



# Demo





# **Thank You**



## **Analysis: Parameters Estimated with Different Scenes**

Does the choice of scenes has effect on the feedback of the participants?

- ► Null hypothesis
  - the choice of scenes has no effect on the feedback of the participants
- ► One-way ANOVA test
  - No significant effect of the choice of scenes on the feedback (with p=0.9782>0.05)



## **Analysis: Parameter Estimated with Different Tests**

Is there a significant difference of  $\sigma_{UF}$  and  $\sigma_{NF}$  between the slider test and the random test?

- ► Null Hypothesis
  - there exists a significant difference of the quality evaluation results between the slider test and the random test.
- ► Paired T-test
  - No significant difference between the slider test and the random test (with p=0.8629>0.05)



## **Analysis: Score Estimated with Different Comparison**

Is there a significant difference between the experiment of EFR vs. KFR and the experiment of EFR vs RR?

- ► Null Hypothesis
  - there exists a significant difference between the experiment of EFR vs. KFR and the experiment of EFR vs RR.?
- ► Paired T-test
  - No significant difference between the slider test and the random test (with p=0.9410>0.05)



# **Theoretical Speedup**

Regular rendering per eye

Regular rendering both eyes (RR)

Kernel foveated rendering with parameter  $\sigma_d$ :

T

$$t_{RR}=2T$$

$$t_{KFR} = \frac{T}{\sigma_d^2} + \frac{T}{\sigma_d^2} = \frac{2T}{\sigma_d^2}$$



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Eye-dominance-guided with parameter  $\sigma_d$  (dominant eye) and  $\sigma_{nd}$  (non-dominant eye):

$$t_{EFR} = \frac{T}{\sigma_{d}^{2}} + \frac{T}{\sigma_{nd}^{2}} = \frac{T}{\sigma_{d}^{2}} \left(1 + \left(\frac{\sigma_{d}}{\sigma_{nd}}\right)^{2}\right)$$

With  $\sigma_{nd} \geq \sigma_d$ ,

$$(1 + (\frac{\sigma_d}{\sigma_{nd}})^2) \le 2 \Rightarrow t_{EFR} \le t_{KFR}$$

We can calculate the speedup:

$$S = \frac{t_{KFR}}{t_{EFR}} = \frac{2}{1 + (\frac{\sigma_d}{\sigma_{nd}})^2} \ge 1$$



### **Validation Test**

- ► Eye Tracking Data Analysis
- ► Controlling for Lack of Attention and Exhaustion
  - Randomly inserted 30% of the trials to be validation trials in the random test
  - Estimation of  $\sigma_{UF}$ 
    - presented TP with identical full-resolution rendering results for both comparison frames
  - Estimation of  $\sigma_{NF}$ 
    - presented TP with identical rendering results with  $\sigma_{UF} = \sigma_{NF}$  for both comparison frames
  - Validation
    - If the participant declared these validation trials to have a low score for similarity (3 or lower), we would ask TP to pause and take a break for at least 30 seconds, and then continue the user study
    - If error ≥ 5 in the random test, we would terminate the user study and discard the data of TP

